Negative Examples in Lecture Improve Student Learning*

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Abstract

This paper explores the impact of teaching three commonly misunderstood concepts in a macroeconomics principles class with "negative examples." Utilizing a crossover design and a dataset of 1,229 students, this paper finds that using negative examples improves student learning by approximately 21 percentage points over not using negative examples.

Version History

- 1. Presented at the Conference on Teaching and Research in Economic Education (CTREE) in Denver, May 2025
- 2. Literature review expanded and presented at JET SET in St. Louis, July 2025.

1 Introduction

Explaining definitions, concepts, and procedures is a core element of teaching. One might be teaching a large principles class with active learning, leading a small senior seminar, or talking with a student during office hours, but in every case the instructor will certainly be explaining. Economists might not give much thought to how they craft their explanations, but others have, and published considerable research. This paper explores one aspect of explanations – "negative examples" and tests their usefulness in a macroeconomics principles class.

This paper is organized as follows. Research on explanations is described in the following section, and next is how negative explanations were utilized in a macroeconomics principles class. Afterward, the experimental design is described, and then the results are explained, followed by a conclusion.

2 Research on Explanations by Instructors

Walstad and Allgood (1999) found that economics courses appear to not be imparting much knowledge to the students who take them. College seniors who had an economics course performed little better on an economics assessment they developed (mean of 62% of questions answered correctly) than those who did not take an economics course (mean of 48% of questions answered correctly). They also note that the mean score on the economics portion of the "Major Field Test in Business II (MFTB)," which was given to some 12,000 graduating business majors, who presumably had taken several economics courses, was 41%. There are many possible reasons for these results, and perhaps these might include how students are

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instructed. This paper explores one part of economics instruction—how economics concepts are explained to students by instructors.

Engelmann and Carnine (1982) is an influential and formal treatment of the use of examples to explain concepts to students. It is the foundational text for "Direct Instruction" (or DI; the words are capitalized, and it is distinct from "direct instruction," which is described below (Alessandri et al., 2025, p.1)). They describe in great detail how one might "faultlessly" explain concepts to students with positive and negative examples.² Their definition of a negative example (sometimes "non-example") is straightforward: "A new example is positive if it has the same quality(ies) possessed by all the examples presented earlier. It is a negative example if it does not have the same quality(ies)." (Engelmann and Carnine, 1982, p.4) They later point out (p. 37) that "Fact 1. It is impossible to teach a concept through the presentation of one example." To illustrate this point, the text has a picture of a pencil, and the authors state it is an example of a "glerm." This term might mean a straight object, something made of wood, an item that is horizontal as in the picture, etc. They go on to state, "Fact 2. it is impossible to present a group of positive examples that communicates only one interpretation." but "... a set of positive examples is always capable of generating more than one possible explanation. Therefore the sequence of examples must contain negatives as well." The authors seem to have in mind something like the following: even if a teacher gave a very young student (or English language learner) innumerable examples of a dog, it is difficult to imagine that the student would realize that a cat is not a dog unless they were given the negative example of a cat.

Apparently the only published paper that explores the efficacy of negative examples and Direct Instruction in college teaching is Alessandri et al. (2025). Their study consists of 30 students in a lab (not a classroom) who were taught about the psychological concept of reinforcement. They conclude their paper with "A practical implication of our results suggests that only providing a definition and an example of a concept is not sufficient for learning. For efficient teaching of concept [sic], it is necessary to provide both multiple examples and corresponding nonexamples."

While the above take a formal or empirical approach, the idea of negative examples has a long and deep history in teaching:

One of the mad things about examples/non-examples is that it's almost a unified theory of learning in the sense that so many theorists from a range of different traditions have advocated for it in one form or another. Socrates, Aristotle, Vygotsky, Bruner, Skinner, Ausubel, Sweller all basically say the same thing on this which is that learning is driven by clear distinctions—knowing what something is requires knowing what it isn't. (Hendrick, 2025)

Further, while Direct Instruction has been influential, the above-mentioned direct instruction, or "explicit instruction" has been even more influential, and it too emphasizes crystal clear instruction (and thus implicitly, negative examples). It has more of a basis in cognitive science than does Direct Instruction and it goes beyond using examples. Kirschner et al. (2006) and Rosenshine (2012) are two papers that describe directinstruction.³ The former argues that classroom instruction should provide "information that fully explains the concepts and procedures that students are required to learn as well as learning strategy support that is compatible with human cognitive architecture." They are writing in opposition to "discovery-based learning," where students ferret out principles on their own.⁵ They come to this

¹These authors take a very formal approach to explanations in teaching, and as a result the book is actually rather dense. Needham (2019) is an accessible summary and has a strong focus on negative examples—in its 17 pages, negative examples are mentioned 24 times.

²Their examples are often topics seen in early elementary school, but their logic certainly holds for all students.

³Note there are more than 11,000 citations to the former in Google Scholar as of July 2025.

⁴Thus, in this meaning, "direct instruction" is distinct from a typical lecture, though sometimes those who lecture refer to lecture as direct instruction; they seem not to be familiar with the work of Kirschner et al. (2006) and Rosenshine (2012). Proponents of direct instruction would argue that it is much more than the typical lecture.

⁵It is worth noting that their focus is largely on K-12 based teaching, but as it is based on how humans learn, it presumably is applicable to college instruction.

conclusion, in part, by noting that humans have a very limited working memory (Miller, 1956) and that classroom instruction can easily saturate it, which renders learning much more difficult. Finally, it appears that direct instruction and negative examples were introduced to economists by Hamid (2022, p. 71).

"Contrasting cases" are similar to negative examples in that they focus on the types of examples that instructors present to their students. Schwartz et al. (2016, pp. 26-38) note that they are "close examples that help people discern what make each instance distinctive." They also note that "Experts develop their precision by comparing many examples over the years. Contrasting cases shorten the time to learn by using carefully juxtaposed examples." While contrasting cases are broader than negative examples, the authors do point out that "learning what a thing is also depends on learning what it is not."

Mathematics educators sometimes use "Variation Theory," (Kullberg et al., 2017). At least at a surface level, it seems little different than contrasting cases. They point out:

For instance, to understand the concept of a linear function y = mx + b one needs to know how it differs from non-linear functions. Otherwise it is merely a synonym for 'function'. Similarly, a triangle must be compared to a circle or any other shape to have a meaning of its own.

They go on to point out that after making contrasts between concepts, the instructor must generalize to deepen students' understanding.

Generalizing from negative examples, contrasting cases, and variation theory, cognitive scientists have argued for nearly a century, starting with Bartlett (1932), that humans generally remember facts, concepts, and procedures not in isolation, but in terms of other things they know. The collection of related items in our memories are referred to as "schemas" (Anderson, 1977). It is much easier to remember a new topic that connects to one's existing schemas (e.g. a policy change by the Fed as heard by a monetary economist), and much harder when there is no connection (e.g. anyone trying to recall a password consisting of arbitrary letters and numbers). Thus, student memory is enhanced when they see a wide variety of examples that illustrate a concept, be they framed as negative or positive examples, contrasting cases, or variations. All should enhance students' schemas. Willingham (2021, p. 95) phrases it this way (with an additional point): "We understand new things in the context of things we already know, and most of what we know is concrete."

3 Implementing Negative Examples in a Macro Principles Class

This study used students from the second author's macroeconomics principles classes in the spring and fall of 2024 (three sections in each semester). As described in Boyle and Goffe (2018), clickers are used extensively by this author to poll students. Students in that paper used dedicated "hardware" clickers, while in this study iClicker Cloud was used. It can be installed on phones, tablets, and computers. One useful feature for researchers is that iClicker Cloud records each students' individual answer for a given polling question. This feature is used extensively in this paper.

To explore teaching with negative examples, three concepts that principles students find difficult were taught with and without negative examples: capital, technology, and money. These were selected based on the second author's experience as an instructor, and their difficulty was confirmed in this study (described below).

To test the usefulness of negative examples, some sections were taught with a lecture with only positive examples of a concept, while the others were taught with both positive and negative examples. As detailed below, a crossover design was used with the three sections for the three concepts. The design is easiest to implement with three teaching approaches, so there were two approaches to positive and negative examples: straight lecture and active learning.

⁶This is where the authors first came across negative examples.

The following images of PowerPoint slides used in class⁷ for capital illustrate the three teaching approaches. First, all sections were introduced to the concept, illustrated for capital with Figure 1. Then, each of the three separate sections were taught with one of the following: positive examples (P), Figure 2; positive and negative examples (P/N), Figure 3; or positive and negative examples with a clicker question (P/N/C), Figure 4. Ali (1981) offers empirically derived suggestions on how to present positive and negative examples. First, it is best to pair positive and negative examples, but in this case, there were no obvious pairs, so the positive ones were placed first (as suggested). Second, various suggestions are given on sequencing the examples, such as their difficulty, concreteness, or how personal they might be, but these concepts did not map well into the examples used here. Third, they do suggest more positive than negative examples. However, the negative examples used here were chosen to represent common miscononceptions. Finally, all sections saw Figure 5 at the next class meeting, typically five days later, to assess their understanding with a clicker poll. The other two concepts, technology and money, were taught similarly.

GDP: Terms

<u>def:</u> capital (K) – manufactured goods owned by businesses to produce goods and services. Capital goods generally last for years & can be used many times

ex: equipment owned by a construction company ex: wind turbines owned by a power company



Figure 1: Introduction to capital (all sections).

GDP: Terms

Further examples of a capital good:

- hammer owned by a carpenter
- manufacturing plant
- an oven owned by a bakery
- a bulldozer owned by a construction company
- a jetliner owned by United Airlines
- a delivery truck owned by UPS

U.S. total: \$34 trillion







Figure 2: Positive examples for capital (P).

⁷While the entire slide is shown here, in class PowerPoint's animation feature was used to sequence the parts of the slides. First was the title of the slide, then the definition, then the first example and its picture, and then the second example and its picture. This approach, which helps students focus on the point at hand, was used for all class slides and is consistent with Mayer (2002).

GDP: Terms

Further examples of a capital good:

- hammer owned by a carpenter
- manufacturing plant

Looks like a capital good, but are not:

- money someone saves for retirement
- a business buying a new tool
- stock in a corporation (sold on Wall St.)
- oil Exxon owns in an oil field (a natural resource)

U.S. total: \$34 trillion



Figure 3: Positive and negative examples for capital (P/N).

GDP: Terms

Question: How many of the following would be considered a capital good?

- hammer owned by a carpenter
- money someone saves for retirement
- manufacturing plant
- a business buying a new tool
- stock in a corporation (sold on Wall St.)
- oil Exxon owns in an oil field (a natural resource)

A. 1 B. 2 C. 3

D. 4 E. 5 or more

U.S. total: \$34 trillion



Figure 4: Positive and negative examples for capital with a clicker question (N/P/C).

Review Questions

Question: Give an example of capital. But please do not

repeat an example given in class last week.

Question: Give an example of something that is not capital

but might be confused with capital. But please do not repeat an example given in class last week.

Question: Consider 1. money in your bank account

2. a sewing machine in a shirt factory

3. stock in Amazon traded on Wall Street

Which would be capital?

A. 1, 2, 3 B. 1, 2 C. 2, 3 D. only 2 E. only 3

Figure 5: Assessment of knowledge about capital (5 days later).

4 Experimental Design

Many teaching studies are done comparing results in one section to those in another; these include Mikek (2023), Settlage and Wollscheid (2019), and Eisenkopf and Sulser (2016). However, this approach assumes that there are no differences between sections. Our results shown in the Appendix 7.7 indicate that the sections in this study indeed had differing abilities. This study employs a crossover design in order to control for the differences between sections. This design also controls for differences in difficulty between the three concepts. Each semester, three concepts were used to test three methods of instruction to see their effect on correctly answering a question on that concept. Instruction occurred on a Thursday (of a Tuesday-Thursday class) and the question used for assessment of each approach took place the following Tuesday⁸, presumably with minimal studying by students in between. Thus, studying by students is unlikely to confound the results of the different teaching approaches, which addresses a point raised by Allgood (2001). He suggests that students with grade targets might study less when classroom instruction imparts more knowledge.

The crossover implementation is shown in Table 1 with the numbers of the section of the course preceded by an S for spring or F for fall semester.

Table	1.	Crossover	Design

$\overline{\text{Concept}\backslash \text{Treatment}}$	Р	P/N	P/N/C
Capital Money Technology	S7, F5	S4, F6	S6, F2

Table 1 shows the rotation of treatments such that each section received all three treatments and each of the three concepts also received all three treatments.

To assess the impact of the teaching method, student responses were collected on the Tuesday assessment only for students who were in class on the preceding Thursday when the concept was introduced. Clicker data were used to determine presence in class. For the P and P/N treatments, students needed to answer at least one clicker question for the day the concept was introduced, at day's class to be counted as present. For the P/N/C treatment, students needed to answer the clicker question specifically about the concept being studied in order to count as being present. For the responses to Tuesday's assessment, only responses from students who were present on the preceding Thursday are used in the analysis.

5 Results

The main result of this research is that adding negative examples (with or without an accompanying clicker question) increased the rate of correct responses on the corresponding assessment asked five days later. The magnitude of this effect is about 21 percentage points improvement comparing classes that received the negative examples to those that did not after controlling for concept and section. This finding is robust to multiple methods of analysis including examination of summary statistics and the following regression models:

Model 1: panel random effects model controlling for section

Model 2: panel student-level fixed effects

⁸However, capital was tested a full week after instruction for the spring of 2024 as classes were canceled on Tuesday due to snow.

⁹Sometimes the section is controlled for indirectly, such as when student-level fixed effects are used. No students switched sections during the semester.

Model 3: pooled cross-sectional OLS

Model 4: panel probit

Model 5: pooled cross-sectional probit Model 6: pooled cross-sectional logit

The dependent variable in every model is whether or not students correctly answered the clicker assessment on Tuesday. There were 1,229 students who fit the criteria of being present and then answering the assessment the following class period. The minimum number of assessments answered by a student is 1, the maximum is 3, and the average is 2.5, giving a total of 3,043 observations used in this analysis.

Some questions were more difficult than others. For example, only 49% of students correctly answered the technology question in spring 2024, but 81% correctly answered the capital question. Some sections had lower accuracy than others. For example, only 59% of clicker questions across these 3 concepts were correctly answered by section S4 while section F2 answered 74% correctly. More differences between sections and concepts can be seen in appendix 7.7.

The coefficients on the P/N and P/N/C variables in models 1-3 show how much more likely a student is to correctly answer a assessment in one of these treatments compared to receiving only positive examples. Results of these linear models are shown in Table $2.^{10}$ These results show that there is roughly a 23-25% increase in correctly answering a question (95% confidence intervals between 17% - 28%) when negative examples are added. The addition of a clicker question did not seem to help at the margin. The difference between P/N and P/N/C was not statistically significant in any model.

Table 2: Regression coefficients for negative examples with and without a clicker question

	Model 1	Model 2	Model 3
P/N	0.2334	.2326	.2339
	(12.52)	(11.86)	(12.16)
P/N/C	.2502	.2350	.2523
	(13.26)	(11.86)	(12.96)
R^2 overall	0.1199	0.1084	0.1173

t-scores in parentheses

6 Conclusion

This paper provides evidence that negative examples aid student understanding of difficult concepts in a macroeconomics principles class. It thus confirms the findings of cognitive scientists who found this result in other domains. More broadly, it suggests that examples employed by economics instructors should be "rich" and cover a wide variety of cases. Note that adding negative examples to a lecture is a low-cost intervention, in the spirit of Lang (2021).

This study may provide other contributions. These include a straightforward design that controls for section and concept effects, as well as focusing on measuring teaching innovations that are not confounded by students studying the concept, as they would if learning is assessed with a test or exam.

One puzzle from this study is that active learning (the P/N/C teaching method) did not outperform lecture (P/N). However, keep in mind that widely cited papers on active learning, (Freeman et al., 2014) (Kozanitis and Nenciovici, 2023) generally took place over much longer time spans (like semesters) and

¹⁰Full regression results for each model can be seen in the Appendix.

active learning was very broadly defined as something that was not lecture. Perhaps the design used here can be used to explore active learning in future studies.

Finally, as economics education research continues to develop, perhaps more effort should be spent on incorporating the work of cognitive scientists, as was done here.

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7 Appendix

7.1 Model 1: Random Effects

R-squared: Within = 0.1642 Between = 0.0652 Overall = 0.1199 Wald chi2(9) = 432.00 corr(u_i, X) = 0 (assumed) Prob > chi2 = 0.0000 Prob > chi2 = 0.00000 Prob > chi2 = 0.0000 Prob > chi2 =	9				Number of			
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7.2 Model 2: Fixed Effects

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Fixed-effects ((within) regre	ssion	1	Number of	obs =	3,043
Group variable:	-]	Number of	groups =	
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R-squared:			(Obs per g	roup:	
Within =	0.1646				min =	1
Between =					avg =	2.5
Overall =					max =	3
0102422						· ·
			,	F(4. 1810)) =	89.15
corr(u_i, Xb) =	0 0025			Prob > F		
COII(u_I, Kb)	0.0020			1100 > 1		0.0000
correct_cli~r	Coefficient	Std err	t.	P> t	[95% conf.	intervall
P/N	.2326282	.0196099	11.86	0.000	.1941677	.2710887
	.2350457			0.000		
	.2510568				.2118199	
	.1899291				.1504507	
•	.3792841		20.50			
_cons	.3/92041	.0104901	20.50	0.000	.3430042	.415564
airmo u	.31099995					
-						
•	.41934838	(£+ ÷				
rno	.35484292	(Iraction	i oi varian	ce due to	0 u_1)	
w a M 110	D 1 1010					
7.3 Model 3:	Pooled OLS					
Source	SS	df	MS	Number	of obs =	3,043
+-					8033) =	
Model	77.7332706	9	8.63703006	-	- F =	
Residual	570.361373	3,033	.188051887		red =	
				_	squared =	0.1173
Total	648.094643	3.042	.213048864	_	ISE =	40005
10001	0 10 100 10 10	0,012		1,000		, 10000
correct_cli~r	Coefficient	Std. err.	. t	P> t	[95% conf.	intervall
P/N I	.2338616	.0192326	12.16	0.000	.1961513	.2715719
P/N P/N/C			12.16 12.96	0.000		.2715719
P/N/C	. 2522588	.0194614	12.96	0.000	.2140998	.2904177
P/N/C capital	. 2522588 . 242817	.0194614 .0194385	12.96 12.49	0.000 0.000	.2140998 .2047031	.2904177 .2809309
P/N/C capital money	. 2522588 . 242817 . 1809637	.0194614 .0194385 .019757	12.96 12.49 9.16	0.000 0.000 0.000	.2140998 .2047031 .1422253	.2904177 .2809309 .2197021
P/N/C capital money sec4_sp	.2522588 .242817 .1809637 0460285	.0194614 .0194385 .019757 .0344791	12.96 12.49 9.16 -1.33	0.000 0.000 0.000 0.182	.2140998 .2047031 .1422253 1136333	.2904177 .2809309 .2197021 .0215764
P/N/C capital money sec4_sp sec7_sp	.2522588 .242817 .1809637 0460285 .0692521	.0194614 .0194385 .019757 .0344791 .0349681	12.96 12.49 9.16 -1.33 1.98	0.000 0.000 0.000 0.182 0.048	.2140998 .2047031 .1422253 1136333 .0006885	.2904177 .2809309 .2197021 .0215764 .1378158
P/N/C capital money sec4_sp sec7_sp sec2_fa	.2522588 .242817 .1809637 0460285 .0692521 .0997797	.0194614 .0194385 .019757 .0344791 .0349681 .0233545	12.96 12.49 9.16 -1.33 1.98 4.27	0.000 0.000 0.000 0.182 0.048 0.000	.2140998 .2047031 .1422253 1136333 .0006885 .0539875	.2904177 .2809309 .2197021 .0215764 .1378158 .1455719
P/N/C capital money sec4_sp sec7_sp sec2_fa sec5_fa	.2522588 .242817 .1809637 0460285 .0692521 .0997797 .072614	.0194614 .0194385 .019757 .0344791 .0349681 .0233545 .0238967	12.96 12.49 9.16 -1.33 1.98 4.27 3.04	0.000 0.000 0.000 0.182 0.048 0.000 0.002	.2140998 .2047031 .1422253 1136333 .0006885 .0539875 .0257587	.2904177 .2809309 .2197021 .0215764 .1378158 .1455719 .1194693
P/N/C capital money sec4_sp sec7_sp sec2_fa	.2522588 .242817 .1809637 0460285 .0692521 .0997797 .072614 0062596	.0194614 .0194385 .019757 .0344791 .0349681 .0233545	12.96 12.49 9.16 -1.33 1.98 4.27	0.000 0.000 0.000 0.182 0.048 0.000	.2140998 .2047031 .1422253 1136333 .0006885 .0539875	.2904177 .2809309 .2197021 .0215764 .1378158 .1455719

7.4 Model 4: Panel Probit

Log likelihood = -1696.2509

Random-effects probit regression Group variable: student_num	Number of obs = Number of groups =	•
Random effects u_i ~ Gaussian	Obs per group: min = avg =	1 2.5
	max =	3
Integration method: mvaghermite	Integration pts. =	12
	Wald chi2(9) =	301.26

= 0.0000

Prob > chi2

correct_clicker	Coefficient	Std. err.	z	P> z	[95% conf.	interval]
P/N	.7061811	.0632465	11.17	0.000	.5822202	.8301421
P/N/C	.755012	.0641734	11.77	0.000	.6292344	.8807896
capital	.7511158	.0653679	11.49	0.000	.622997	.8792346
money	.5391304	.0639745	8.43	0.000	.4137427	.6645181
sec4_sp	1061525	.1168757	-0.91	0.364	3352247	.1229196
sec7_sp	.2424137	.1189068	2.04	0.041	.0093606	.4754668
sec2_fa	.2567578	.0827135	3.10	0.002	.0946423	.4188734
sec5_fa	.1876059	.0841508	2.23	0.026	.0226734	.3525384
FA24	.0339944	.1053589	0.32	0.747	1725053	.240494
_cons	521917	.1015957	-5.14	0.000	721041	3227931
/lnsig2u	-2.151529	.4118531			-2.958746	-1.344311
sigma_u rho	_	.0702286 .0384396			.2277805 .0493248	.5106067 .206802

The effects of P/N and P/NC was found for capital, money, and technology using the average value of each section (weighting by their relative abundance in the sample). 95% confidence intervals had a low of 0.1475 and a high of 0.3155. z-scores are not reported below, but the smallest for any of these results was 11.02.

Table 3: Marginal effects of negative examples by concept

		Model 4	Model 5	Model 6
capital	P/N	0.1859	0.1861	0.1794
Capitai	P/NC	0.1987	0.2000	0.1909
monov	P/N	0.2113	0.2118	0.2104
money	P/NC	0.2260	0.2272	0.2239
technology	P/N	0.2500	0.2505	0.2574
Lectinology	P/NC	0.2674	0.2688	0.2739

7.5 Model 5: Pooled Probit

Probit regression Number of obs = 3,043

LR chi2(9) = 355.85Prob > chi2 = 0.0000

Log likelihood = -1700.0906 Pseudo R2 = 0.0947

correct_clicker	Coefficient	Std. err.	z	P> z	[95% conf.	interval]
P/N P/N/C capital money	+	.0599566 .0608689 .0613586 .0609535	11.18 11.82 11.54 8.31	0.000 0.000 0.000 0.000	.552978 .6000761 .5877672 .3872204	.7880034 .8386777 .8282887 .6261536
sec4_sp sec7_sp sec2_fa sec5_fa FA24 _cons	1019242 .237353 .2472162 .1807513 .0289758 4915186	.1055738 .1074568 .0749276 .076374 .0951975 .0929086	-0.97 2.21 3.30 2.37 0.30 -5.29	0.334 0.027 0.001 0.018 0.761 0.000	3088451 .0267414 .1003608 .0310611 1576079 6736161	.1049967 .4479645 .3940717 .3304415 .2155595

7.6 Model 6: Pooled Logit

sec5_fa | .3298735

.0432771

FA24 |

Logistic regression Number of obs = 3,043

LR chi2(9) = 360.67

.0750124

-.2675908

.5847346

.3541449

0.011

0.785

Prob > chi2 = 0.0000Log likelihood = -1697.6802 Pseudo R2 = 0.0960

correct_clicker | Coefficient Std. err. z P>|z| [95% conf. interval] -----P/N | 1.124537 .1015003 11.08 0.000 .9255997 1.323473 P/N/C | 1.196586 .1028708 11.63 0.000 .9949631 1.398209 .9922875 capital | 1.197522 .1047133 11.44 0.000 1.402756 money | .8395759 .1016448 8.26 0.000 .6403558 1.038796 .176867 -0.97 sec4_sp | -.1719291 0.331 -.5185819 .1747238 sec7_sp | .3889991 .1796979 2.16 0.030 .0367977 .7412004 .16037 sec2_fa | .4094173 .1270673 3.22 0.001 .6584645

_cons | -.8291735 .1536462 -5.40 0.000 -1.130315 -.5280324

.158609

.1300336 2.54

0.27

7.7 Summary statistics tables

These tables show the average correct response rates for each concept in each section. The positive examples only treatment results are organized on the diagonal.

Table 4: Spring 2024 Results

%correct, SP24	Capital	Money	Technology	Avg Accuracy (section)
sec. 6	0.7582	0.6538	0.5357	0.6492
sec. 7	0.8788	0.5776	0.6907	0.7157
sec. 4	0.8074	0.7328	0.2522	0.5975
Avg. Accuracy (concept)	0.8148	0.6547	0.4929	

Table 5: Fall 2024 Results

	10010 0	. I all 202	1 I Cours	
%correct, FA24	Capital	Money	Technology	Avg Accuracy (section)
sec. 2	0.7077	0.7933	0.7130	0.7380
sec. 5	0.7686	0.6273	0.7696	0.7218
sec. 6	0.8498	0.8405	0.2000	0.6301
Avg. Accuracy (concept)	0.7754	0.7537	0.5609	